

I) (1.5 points)

Choose the correct answer with justification:

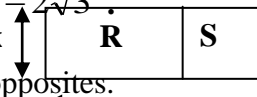
No"	Statements	A	B	C
1	$\vec{u}(2;-6)$ and $\vec{u} = \overrightarrow{AB}$ The slope of (AB) is :	- 4	- 12	-3
2	x,y, and z are proportional to 3,5, and 7 such that $2x-y+z=16$. The values of x,y, and z are respectively:	3 ,5, 7	2, 4, 16	6 , 10 , 14
3	The perimeter of the rectangle R is less than that of the square S for:	$x < 6$	$x = 6$	$x > 6$

II) (2.25 points)

1) Given $A = \sqrt{13 - 4\sqrt{3}}$ and $B = 1 - 2\sqrt{3}$.

a. Calculate A^2 and B^2 .

b. Deduce that A and B are opposites.

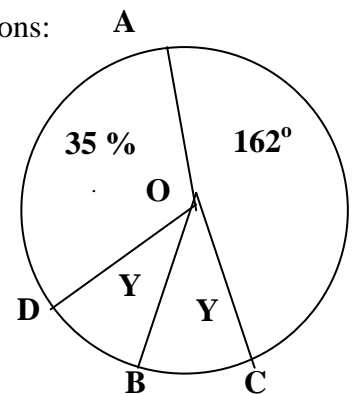


2) Show that $((\sqrt{2} \sin x + \sqrt{3} \cos x)^2 + (\sqrt{3} \sin x - \sqrt{2} \cos x)^2 = 5$ (for all value of x)

III) (2.5 points)

The adjacent figure corresponds to the distribution of ages (x) of 600 persons:

- \hat{AOC} : For age x is less than or equal to 20 years.
- \hat{AOD} : For age x is between 20 and 40 years.
- \hat{COB} : For age x: $40 \leq x < 60$.
- \hat{BOD} : For age x: $60 \leq x < 80$.



- 1) Find the values of the angles \hat{AOD} and Y in degrees.
- 2) Construct the frequency and the increasing cumulative frequency table.
- 3) Calculate the percentage of people whose age is at least 40 years.

IV) (3.75 points)

Let $A(x) = (3x-6)(x-1) + (x^2-4) + (4-2x)(x+3)$.

1)

a. Show that $A(x) = (x-2)(2x-7)$.

b. Solve $A(x) = 0$.

2) Given $B(x) = ax^2 + bx + 4$.

Calculate a and b so that 1 and 2 are the roots of $B(x)$.

3) Given $B(x) = 2(x-1)(x-2)$ and $F(x) = \frac{A(x)}{B(x)}$.

a- Determine the domain of definition of $F(x)$.

b- Simplify $F(x)$ and solve $F(x) = -2$.

c- Does the equation $F(x) = 1$ admit solution? Justify.

V) (5.5 points)

In an orthonormal system plot the points $A(1;2)$, $B(4;3)$ and $C(5;0)$.

1) Verify that the equation of (AB) is: $y = \frac{x}{3} + \frac{5}{3}$

2) (AB) cuts $(x'x)$ in F and $(y'y)$ in E.

a- Find the coordinates of F and E.

b- Deduce the angle \widehat{EFO} to the nearest degree.

3)

a- Find the equation of (BC) .

b- Show that ABC is right isosceles triangle.

4)

a- Determine the coordinates of point D such that $\overrightarrow{BA} - \overrightarrow{CB} = \overrightarrow{BD}$, then locate D.

b- Deduce the nature of $ABCD$.

c- Calculate the coordinates of M the intersection of diagonals of $ABCD$.

5) Let (d) be the image of (AB) by the translation \overrightarrow{MC} .

a- Show that (d) is the perpendicular bisector of $[BC]$.

b- Find the equation (d) .

VI) (4.5 points)

1) Draw the adjacent figure, locate the points: A on $[Ox)$, B and C on $[Oy)$ such that $OA=3$ cm, $OB=1.5$ cm and $OC=6$ cm.

2)

a- Calculate the ratios $\frac{OA}{OB}$ and $\frac{OC}{OA}$.

b- Show that the 2 triangles OAB and OAC are similar.
Deduce the equal angles.

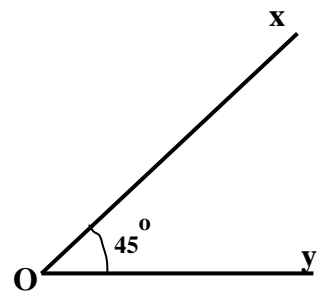
3) H is the orthogonal projection of A on $[Oy)$; using $\sin \hat{O}$, show that $HA=HO = \frac{3\sqrt{2}}{2}$ cm.

4) The parallel through O to (AB) cuts (HA) in F.

a- Calculate HB then HF to the nearest 10^{-2} .

b- Deduce the measure of \widehat{HOF} to the nearest degree.

5) M is a variable point on $[CY)$ and N is the orthogonal projection of C on (AM) . Determine the locus of N.



Good work